



Bungee jumping has become a popular but dangerous sport. It also shows how the acceleration of gravity is connected to the total distance traveled during the fall. The distance traveled is given by the formula

$$D = \frac{1}{2} g T^2$$

Where g is the acceleration of gravity in meters/sec², D is the distance in meters, and T is the elapsed time in seconds. For locations near the surface of Earth, $g = 9.8$ meters/sec² (32 feet/sec²)

Problem 1 - A confused Daredevil jumps from a plane at an altitude of 15,000 feet. How long does it take for the Daredevil to land if there is no air friction to slow him down?

Problem 2 – How fast would the Daredevil be traveling at the moment of impact if $S = 32T$?

Problem 3 – Once he reaches 130 mph (190 feet/sec), called the terminal velocity, his free-fall speed stops increasing. How soon after he jumps does he reach terminal velocity, and how far has he fallen from the plane?

Problem 4 - In 2012, Felix Baumgartner jumped from a high-altitude balloon at an altitude of 24 miles (127,000 feet), landing safely on the ground after 4 minutes and 19 seconds. With little atmosphere friction, he reached a maximum speed of 844 mph (1240 feet/sec). How long after he jumped did he reach this speed, and how high above the ground was he at that time?

Problem 5 – On Mars, the Valles Marineris canyon is 23,000 feet deep. If the acceleration of gravity is 12 feet/sec², how long would it take a rock to fall into the canyon and how fast is it traveling when it hits bottom?

Problem 1 - A confused Daredevil jumps from a plane at an altitude of 15,000 feet. How long does it take for the Daredevil to land if there is no air friction to slow him down?

Answer: $15,000 = \frac{1}{2} (32) T^2$, so $T^2 = 937$ and so $T = \mathbf{31 \text{ seconds}}$.

Problem 2 – How fast would the Daredevil be traveling at the moment of impact if $S = 32T$?

Answer: $S = 32 \times 31 = 992$ feet/second or 676 miles/hour!

Problem 3 – Once he reaches 130 mph (190 feet/sec), called the terminal velocity, his free-fall speed stops increasing. How soon after he jumps does he reach terminal velocity, and how far has he fallen from the plane?

Answer: $190 = 32 \times T$ so $T = \mathbf{6 \text{ seconds}}$. He has fallen $d = \frac{1}{2} (32)(6)^2 = \mathbf{576 \text{ feet}}$.

Problem 4 - In 2012, Felix Baumgartner jumped from a high-altitude balloon at an altitude of 24 miles (127,000 feet), landing safely on the ground after 4 minutes and 19 seconds. With little atmosphere friction, he reached a maximum speed of 844 mph (1240 feet/sec). How long after he jumped did he reach this speed, and how high above the ground was he at that time?

Answer: $1240 = 32 T$ so $T = \mathbf{39 \text{ seconds}}$.
 $D = \frac{1}{2} (32) (39)^2 = 24,336$ feet,
 so $127,000 - 24336 = \mathbf{102,700 \text{ feet from the ground}}$.

Problem 5 – On Mars, the Valles Marineris canyon is 23,000 feet deep. If the acceleration of gravity is 12 feet/sec², how long would it take a rock to fall into the canyon and how fast is it traveling when it hits bottom?

Answer: $23,000 = \frac{1}{2}(12)T^2$ so $T = \mathbf{62 \text{ seconds}}$.
 Speed = $12 \times 62 = \mathbf{744 \text{ feet/sec or } 507 \text{ mph}}$.